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## ADMISSIBLE PERTURBATIONS OF PROCESSES WITH INDEPENDENT INCREMENTS

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Abstract: We investigate conditions on the law equivalence of  $R^d$ -valued stochastically continuous processes with independent increments and with no Gaussian component. This problem is studied from the standpoint of perturbations. Given two processes  $X = \{X(t)\}$  and  $\hat{X} = \{\hat{X}(t)\}$  independent mutually, we put  $X' = \{X'(t) = X(t) + \hat{X}(t)\}$ . Then X' is called an admissible perturbation of X if X and X' induce the equivalent probability measures on the space of sample functions. The class of admissible perturbations of X is described in terms of the time-jump measures M and  $\hat{M}$  associated with X and  $\hat{X}$ , respectively. The fine structure of this class is obtained for processes related to special infinitely divisible distributions such as stable distributions, distributions of class L and their mixtures. A simplified proof is given to the theorem of Skorokhod on the law equivalence of  $R^d$ -valued processes with independent increments.

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