OPERATOR-LIMIT DISTRIBUTIONS IN PROBABILITY THEORY

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The central theme of that monograph are limit distributions in a scheme

(1)
$$A_n(X_1 + X_2 + \dots + X_n) + x_n, \quad n = 1, 2, \dots$$

where X_i 's are \mathbb{R}^d -valued independent random vectors, A_i 's are MATRICES (linear bounded operators) on \mathbb{R}^d and x_i 's are deterministic \mathbb{R}^d shift vectors.

If in (1) one assumes that the triangular array A_nX_k , $1 \le k \le n$, $n \ge 1$, is uniformly infinitesimal then limit distributions are called *operator-selfdecomposable*. This class includes the classical selfdecomposable measures.

For independent and identically distributed X_i 's limiting laws are called operator-stable measures. Among them we have the classical and well know stable measures.

For reviews, please, see the following:

- 1) MR 95b:60018
- 2) Bull. American Mathematical Society, 32, No 2, April 1995; p. 278.
- 3) Siam Review, **37**, No 1, March 1995; p. 131.