## SYLLABUS FOR THE DOCTORAL SCHOOL

| Lp. | Syllabus elements |  |
| :--- | :--- | :--- |
| $\mathbf{1}$ | Course/module name in Polish and <br> English | Infinitary Combinatorics/ Kombinatoryczna teoria <br> mnogości |
| $\mathbf{2}$ | Scientific discipline | Mathematics |
| $\mathbf{3}$ | Name of organizational unit organizing <br> education | Doctoral College of Mathematics |
| $\mathbf{4}$ | Unit conducting the course/module | Institute of Mathematics |
| $\mathbf{5}$ | Course/module code | -- |
| $\mathbf{6}$ | Type of course/module | Optional |
| $\mathbf{7}$ | Year of studies | All years |
| $\mathbf{8}$ | Semester | Winter |
| $\mathbf{9}$ | Forms and methods of instruction | Lecture seminar |
|  | 1.- ZFC, the class of ordinals and the class of <br> cardinals, <br> 2.- Infinite Ramsey Theory <br> 3.- Combinatorial trees in different structures <br> 4.- Ellentuck Space <br> 5.- Almost disjoint families and the Ellentuck <br> topology <br> 6.- Filters and ideals on countable sets and its <br> relationship with Ramsey theory <br> 7.- Other related partition theorems. |  |
| $\mathbf{1 0}$ | Educational contents | English |
| $\mathbf{1 1}$ | Language of instruction | Intended learning outcomes regarding: <br> Symbols of learning outcomes: <br> Knowledge: <br> -The student will be able to understand <br> the ideas from combinatorial set theory. <br> -The student will be able to find simple <br> applications to other areas of <br> Mathematics, in particular to Topology <br> and Analysis. <br> SD_W01, SD_W02 |
| Skills: <br> -The student will be able to carry out <br> basic combinatorial constructions of <br> different mathematical objects with <br> strong combinatorial properties. | SD_U01, SD_U02, SD_U05, SD_U07 |  |
| -The student will be able to use these <br> partition theorems and their ideas for <br> their future work. |  |  |


|  | Social competences: <br> -The student will be able to systematically find ideas on the literature. <br> -The student will understand the importance of combinatorics in solving problems. <br> -The student will be able to understand the value of continuous education. | SD_K02, SD_K04 |
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| 13 | Methods of verifying intended learning outcomes | A test at the end of the course |
| 14 | PhD student's workload |  |
|  | PhD student's activity form | Average number of hours for completing the activity |
|  | Numbers of class hours (according to the study plan) with teacher: <br> - Lecture: <br> - Problem sessions: <br> - Laboratory: <br> - Seminar: <br> - Others: | 30 hours of lectures, 30 hours of problem sessions. 60 hours in total. |
|  | PhD student's own work, such as: <br> - Preparing classes: <br> - Developing results: <br> - Reading the suggested literature: <br> - Writing a class report: <br> - Preparing for exam: <br> - Others: | Reading suggested literature: 10 hours. <br> Preparing for classes: 20 hours. <br> Preparing for exam: 10 hours. <br> 50 hours in total. |
|  | Total hours: | 110 hours |
|  | Number of credits (if required) |  |
| 15 | Conditions for crediting the course/module, including the rules for admitting to the exam, and the form and conditions for crediting individual forms of classes included in the given | Passing the final test. |


|  | course. |  |
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| 16 | Literature | 1. Winfried Just and Martin Weese. <br> Discovering modern set theory. I, volume 8 of Graduate Studies in Mathematics. American Mathematical Society, Providence, RI, 1996. The basics <br> 2. Winfried Just and Martin Weese. <br> Discovering modern set theory. II, volume 18 of Graduate Studies in Mathematics. American Mathematical Society, Providence, RI, 1997. Set-theoretic tools for every mathematician <br> 3. Matthew Foreman and Akihiro Kanamori, editors. Handbook of set theory. Vols. 1, 2, 3. Springer, Dordrecht, 2010 <br> 4. Kenneth Kunen and Jerry E. Vaughan, editors. Handbook of set-theoretic topology. North-Holland Publishing Co., Amsterdam, 1984 <br> 5. Tomek Bartoszyński and Haim Judah. Set theory. A K Peters, Ltd., Wellesley, MA, 1995. On the structure of the real line <br> 6. Lorenz J. Halbeisen. Combinatorial set theory. Springer Monographs in Mathematics. Springer, London, 2012. With a gentle introduction to forcing <br> 7. Thomas Jech. Set theory. Springer Monographs in Mathematics. SpringerVerlag, Berlin, 2003. The third millennium edition, revised and expanded |

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[^0]:    * wykład, seminarium, ćwiczenia, warsztaty, lektoraty, laboratoria
    ** prezentacja, projekt, analiza przypadku, dyskusja, metoda problemowa
    *** stacjonarnie/zdalnie

